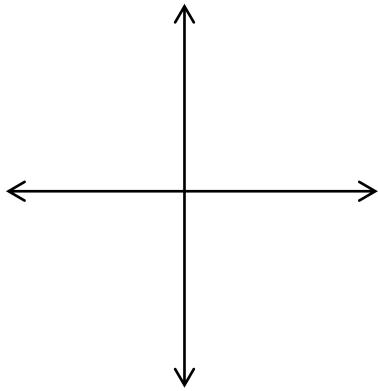


**Section 1.1: Points and Lines**

Essential Question:

**The Coordinate Plane**

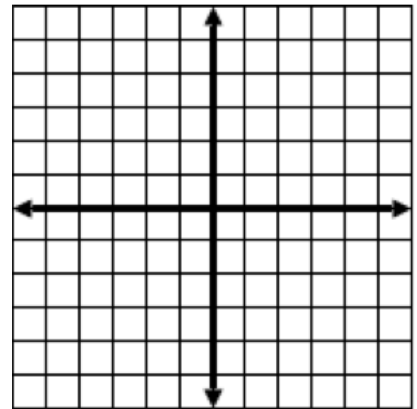


**LINEAR EQUATIONS**

Standard or General Form:

Slope-intercept Form:

Slope =



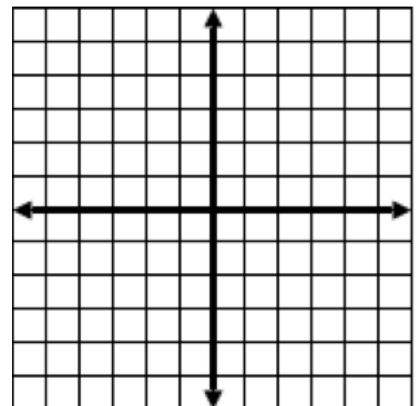
**INTERCEPTS of a LINEAR EQUATION**

x – intercept: where the line crosses the \_\_\_\_\_  
\_\_\_\_\_

y – intercept: where the line crosses the \_\_\_\_\_  
\_\_\_\_\_

Example:

Graph  $2x + 3y = 12$  using intercepts



## To solve a SYSTEM of LINEAR EQUATIONS

To solve a system means to \_\_\_\_\_

\_\_\_\_\_

Ways to solve a system:

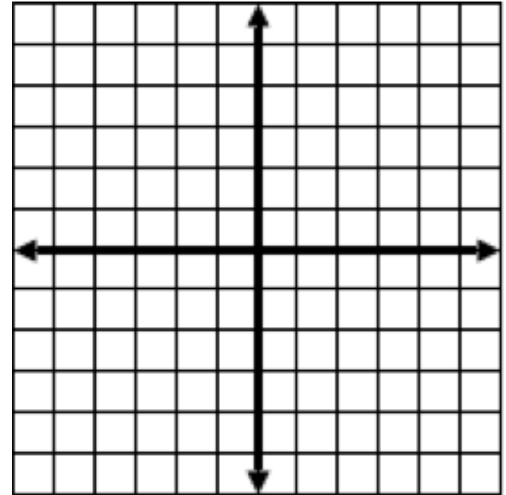
1)

2)

3)

$$3x - y = 4$$

$$5x + 3y = 9$$



## SPECIAL CASES for Systems of Linear Equations

No solution: \_\_\_\_\_

Infinitely many solutions: \_\_\_\_\_

## REVIEW of Geometric information

Area of a triangle =

Parallelogram \_\_\_\_\_  
\_\_\_\_\_  
\_\_\_\_\_



## DISTANCE and MIDPOINT FORMULAS

Midpoint:

Distance:

### EXAMPLES:

Find the coordinates of the midpoint and the length of  $\overline{NM}$  .  
N (-1, 8) and M (3, 13)

Section 1.1 Summary:
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## Section 1.2: Slope of a line

Essential Question:

### SLOPE

- Measures \_\_\_\_\_ of a line in relation to the x-axis
- Slope =
- Slope is \_\_\_\_\_ (same value) between any \_\_\_\_ points

### Examples

Find the slope of the line passing through the given points.

1) (2, -4) and (8, 3)

2) (-1, 5) and (3, 0)

3) (4, 2) and (4, -3)

4) (3, -1) and (-4, -1)

### SLOPE-INTERCEPT FORM

$y = mx + b$  or  $y = mx + k$

$m =$  \_\_\_\_\_  $b =$  \_\_\_\_\_

### Example 5

What is the slope and y-intercept of  $5x + 3y = -8$  ?

**Parallel Lines:** \_\_\_\_\_

**Perpendicular Lines:** \_\_\_\_\_

Ex: If line A and line B are perpendicular and line A has  $m = -2$  then line B has  $m =$  \_\_\_\_\_

**Example 6**

Which lines are parallel? Perpendicular? Or neither?

Line A

$$y = \frac{3}{4}x + 5$$

Line B

$$4x + 3y = 3$$

Line C

$$3x - 4y = 5$$

Section 1.2 Summary:
----------------------

## Section 1.3: Equations of lines

Essential Question:

**\*Standard Form**

**\*Slope-intercept Form**

**\*Point-Slope Form**

**\*Intercept Form**

### **Examples**

Find an equation in standard form of the line described.

- 1) Line with slope of  $\frac{5}{3}$  and y-intercept of -2
- 2) Line that has x-intercept of -4 and y-intercept of 6
- 3) Line with a slope of 3 and passes through (-6, 3)
- 4) Line that passes through (2, 7) and is parallel to  $y = \frac{1}{4}x - 6$

5) Line through (8, 3) and (2, -1)

6) Line that is  $\perp$  to  $8x - 2y = 1$  and passes through (-4, -1)

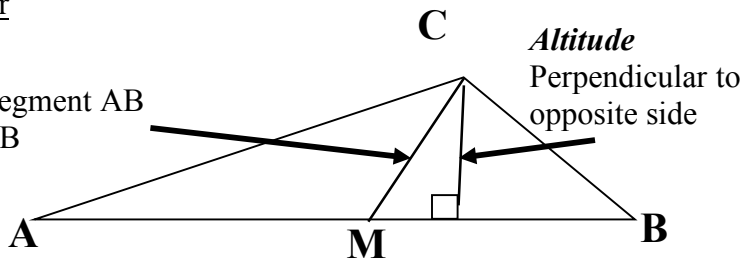
Things to remember

***Median***

Bisects segment AB  
 $AM = MB$

***Altitude***

Perpendicular to  
opposite side



Section 1.3 Summary:

## Section 1.4: Linear Functions and Models

Essential Question:

A \_\_\_\_\_ describes a \_\_\_\_\_ relationship between quantities.

For instance, the value of \_\_\_\_\_ depends on the \_\_\_\_\_ - value.

Read as “\_\_\_\_\_ is a function of  $x$ ”

This is written as:

$$f( ) =$$

$$f( ) =$$

$$f( ) =$$

If  $f(\mathbf{number}) = 0$  then that **number** is called a \_\_\_\_\_.

### Language

$$f(x) = 3x - 2 \quad \underline{\hspace{15em}}$$

$$r(t) = .2t + 23 \quad \underline{\hspace{15em}}$$

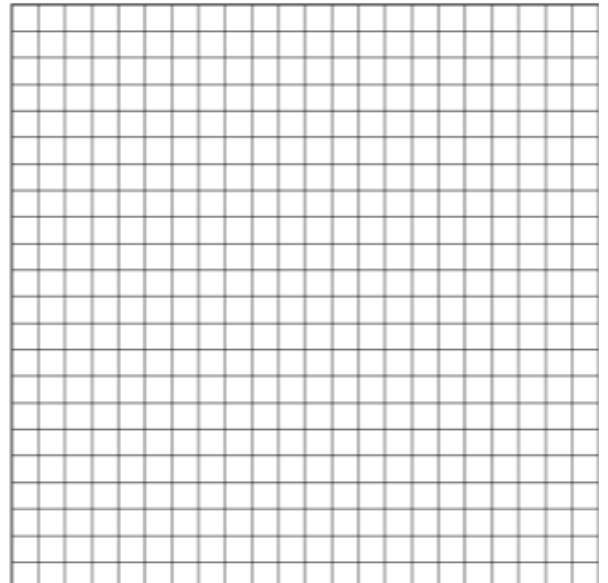
### Example

The senior class is renting the LaCrosse Center Ballroom for \$400 for their Fall Festival dance.

Tickets for the dance are \$8 per person.

a) Express the net income ( $I$ ) as a function of the number ( $n$ ) of tickets sold.

b) Graph the function. How many tickets must be sold for the seniors to begin making a profit?





Section 1.4 Summary:

**Section 1.5: Complex Numbers**

Essential Question:

**Real Numbers**

Represented by a \_\_\_\_\_

Divided into \_\_\_\_\_ numbers and \_\_\_\_\_ numbers

Every number is a real number!

**Complex Numbers**

Have the form \_\_\_\_\_

a = \_\_\_\_\_      b = \_\_\_\_\_      i = \_\_\_\_\_

Ex:

**Pure Imaginary Numbers**

When a = \_\_\_\_\_ (no real part)

Ex:

**Examples:**

**Rewrite as a complex number.**

1)  $\sqrt{-36}$

2)  $\sqrt{-15}$

3)  $\sqrt{-3}\sqrt{-6}$

**Simplify.**

4)  $(6 - 5i) + (9 + 7i)$

5)  $(7 + 3i)(4 - i)$

6)  $(8 - 5i)(8 + 5i)$

7)  $(8 - 5i) + (8 + 5i)$

**Conjugates**

In the form \_\_\_\_\_ and \_\_\_\_\_

Sum is a \_\_\_\_\_ number

Product is \_\_\_\_\_ real number

**Examples:**

8)  $\frac{1}{3-4i}$

9)  $\frac{8}{i}$

10)  $\frac{5+2i}{3+i}$

11)  $i^2$   
 $i^3$   
 $i^4$   
 $i^5$   
 $i^6$   
 $i^7$

12)  $i^{-4}$

**Equal Complex Numbers** **$a + bi$  and  $c + di$  are equal if...** **$a = c$  and  $b = d$** Ex13) Find the value of  $x$  and  $y$ .

$2x + y + (3 - 5x)i = 1 - 7i$

Section 1.5 Summary:

## Section 1.6: Quadratic Equations

Essential Question:

### Quadratic Equations

- Standard form \_\_\_\_\_
- Solutions are called \_\_\_\_\_ or \_\_\_\_\_
- 3 methods to solve quadratic equations...

1)

2)

3)

### Examples

Factor.

1)  $x^2 - 5x - 14 = 0$

2)  $16m^2 - 24m = 0$

3)  $(3x - 2)(x + 4) = -11$

## Section 1.6: How To Complete The Square

**Step 1:** Given  $ax^2 + bx + c = 0$  Move 'c' to the other side of the equation  
The equation should now look like the following...

$$x^2 + bx + \square = c + \square$$

**Step 2:** The a-value must be 1  
If the a-value is NOT 1 then factor the 'a' value

**Step 3:** Now complete the square □

You do so by  $\frac{b^2}{2}$  Now your equation should look like ...

$$x^2 + bx + \frac{b^2}{2} = c + \frac{b^2}{2}$$

**Step 4:** Factor the left side of the equation

You will go from  $x^2 + bx + \frac{b^2}{2}$  to  $x + \frac{b}{2}$

These are the same thing! Check by FOILing  $x + \frac{b}{2}$

$$= \left(x + \frac{b}{2}\right) \left(x + \frac{b}{2}\right) = x^2 + 2x \frac{b}{2} + \frac{b^2}{2} = x^2 + bx + \frac{b^2}{2}$$

**Step 5:** Now to solve for x take the square root of both sides

$$x + \frac{b}{2} = c + \frac{b^2}{2} \longrightarrow \sqrt{x + \frac{b}{2}} = \sqrt{c + \frac{b^2}{2}} \longrightarrow x + \frac{b}{2} = \pm \sqrt{c + \frac{b^2}{2}}$$

Here the square<sup>2</sup> and  $\sqrt{\quad}$  cancel

**Step 6:** Use basic algebra to get 'x' by itself

### EXAMPLE

4)  $x^2 - 10x + 14 = 0$

Solve by completing the square:

5)  $m^2 + 8m = -30$

6)  $4w^2 - 8w - 32 = 0$

### Quadratic Formula

$X =$

when  $ax^2 + bx + c = 0$

### Examples

Solve using the quadratic formula.

7)  $4x^2 - x - 7 = 0$

8)  $y^2 + 10y + 35 = 0$

9)  $m^2 = 10m - 25$

10)  $8x^2 = 7 - 10x$

## Discriminant

The quantity beneath the  $\sqrt{\quad} = \underline{\hspace{2cm}}$

Determines if solutions are real or imaginary

Value of Discriminant

Nature of Roots

$$b^2 - 4ac = 0$$

$$b^2 - 4ac < 0$$

$$b^2 - 4ac > 0$$

Be careful... do NOT cancel binomials by dividing  $\rightarrow \underline{\hspace{2cm}}$

$$11) \quad 2(x - 3) = (x - 3)^2$$

Be Careful... when you square both sides of an equation  $\rightarrow \underline{\hspace{2cm}}$

$$12) \quad \sqrt{3x+6} = 2x+1$$

Be careful... when you have denominators  $\rightarrow \underline{\hspace{2cm}}$

$$13) \quad \frac{x+2}{x-2} + \frac{x-2}{x+2} = \frac{8-4x}{x^2-4}$$

Section 1.6 Summary:

## Section 1.7: Quadratic Functions and their Graphs

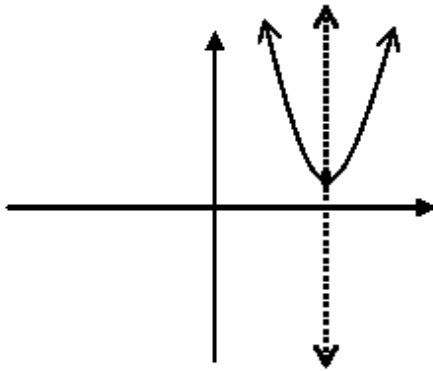
Essential Question:

-Form is  $f(x) = ax^2 + bx + c$ ,  $a \neq 0$

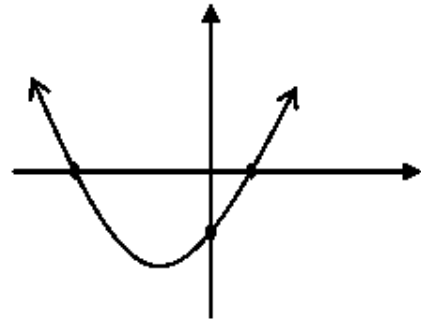
-Graph satisfies  $y = ax^2 + bx + c$

-Graph is called a \_\_\_\_\_

Labels/Terminology



Intercepts



a-value

Opening

Vertex

$a > 0$

$a < 0$

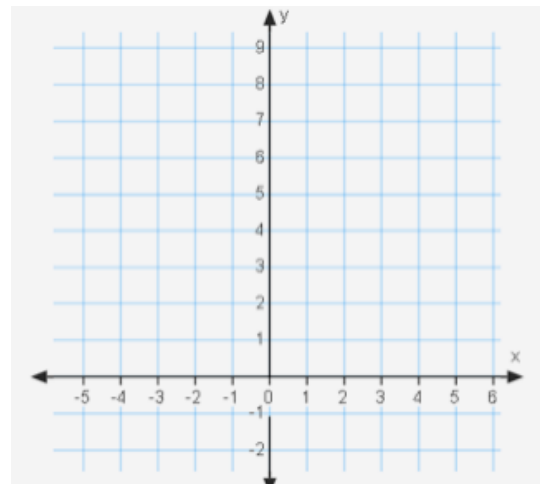
Parent Graph:  $y = x^2$

$$y = 3x^2$$

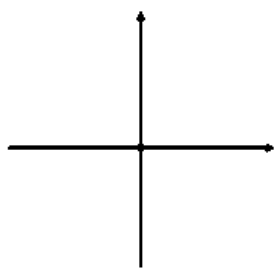
$$y = \frac{1}{2}x^2$$

Note: The bigger \_\_\_\_\_ the more

\_\_\_\_\_ the parabola

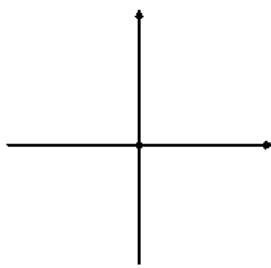


### Number of Roots



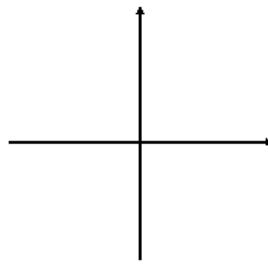
2 real roots

$$b^2 - 4ac > 0$$



2 imaginary roots

$$b^2 - 4ac < 0$$



1 real root

$$b^2 - 4ac = 0$$

### Example 1

Find the intercepts, A.O.S., and vertex of the parabola. Sketch the graph and label.

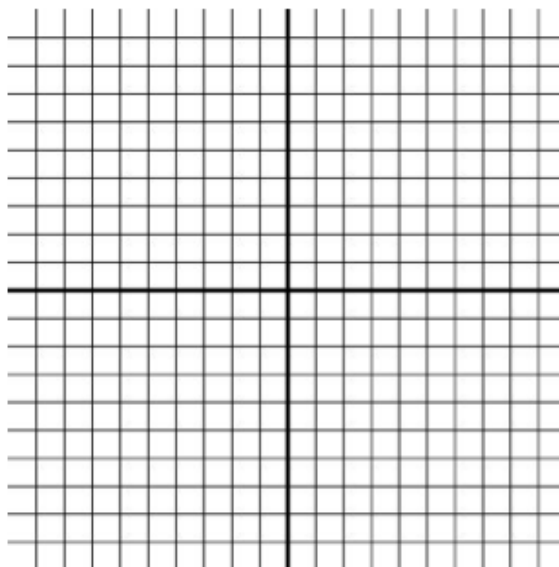
$$y = x^2 - 4x - 5$$

x-intercepts

y-intercepts

AOS

Vertex



### Example 2

Find the intercepts, A.O.S., and vertex of the parabola. Sketch the graph and label.

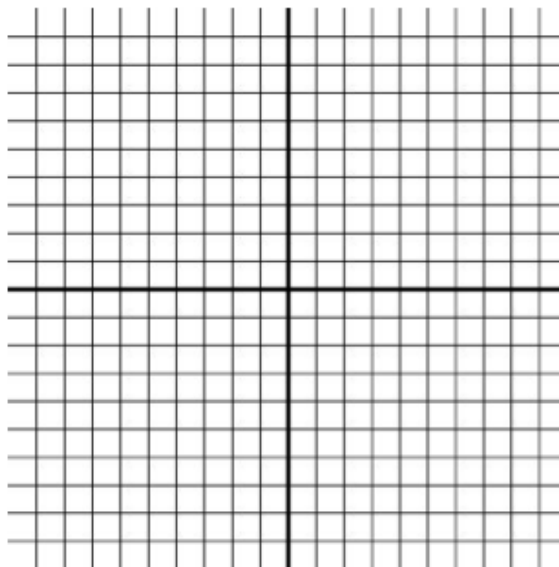
$$y = x^2 - 2x - 5$$

x-intercepts

y-intercepts

AOS

Vertex





**Another Way To Graph:**  $y = a(x - h)^2 + k$

Vertex: \_\_\_\_\_

A.O.S: \_\_\_\_\_

**Example 3**

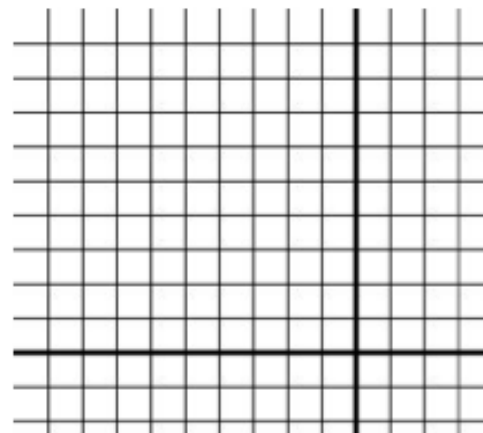
Graph and label:  $y = x^2 + 4x + 9$

Vertex

AOS

y-intercepts

x-intercepts



**Methods of Graphing Parabolas**

**Method #1:** AOS: \_\_\_\_\_ and Vertex: \_\_\_\_\_

(plug in x-value & solve for y-value)

**Method #2:**  $y = a(x - h)^2 + K$  Vertex: \_\_\_\_\_  
AOS: \_\_\_\_\_

\*Note:  $y = ax^2 + bx + c$  the y-intercept is always the c-value

Section 1.7 Summary:

## Section 1.8: Quadratic Models

Essential Question:

**When to use a quadratic model:**

\*Values decrease and then increase

\*Values increase and then decrease

\*  $V =$                        $SA =$

### **EXAMPLE #1**

Use the given values to find an equation of the form  $f(x) = ax^2 + bx + c$ .

$$f(1) = 4, f(2) = 12, f(4) = 46$$



Section 1.8 Summary: