

Section 3.1: Linear Inequalities and Absolute Value Inequalities

Essential Question:

Solve and graph the following inequalities.

1) $6x - 10 > 8$

2) $\frac{6x - 3}{4} \leq 8$



Graph the following inequalities.

3) $5 < m$

4) $1 \leq x < 5.2$



Absolute Value Inequalities

$> \geq$ Ex: $|x| > m$ is rewritten as: _____ **OR** _____
great "OR" than

$< \leq$ Ex: $|x| < m$ is rewritten as: _____ **AND** _____
less th"AND"
**shade only the intersection*

Graph the following absolute value inequalities:

5) $|x| < 3$

6) $|m| \geq 2$

Graph the following absolute value inequalities:

7) Solve and graph $|x - 2| < 3$

8) Solve and graph $|x - 4| = 7$



Section 3.1 Summary:

Section 3.2: Solving Polynomials of Degree 2 or higher

Essential Question:

Example 1

Solve $x^2 + 6x - 16 > 0$

1st: Find zeros of the polynomial, set $P(x) = 0$

2nd: Test each interval

3rd: Write the solution as an inequality

*If the inequality is linear you just need to isolate the x-variable, but if you have an x^2 or higher you **MUST FIND THE ZEROS!***

Example 2

$$(4 - 3x)(5 + x) \geq 0$$

Example 3

$$(x - 7)(x + 3)(x - 4) \geq 0$$

Example 4

$$x^2 - 4x + 4 < 0$$

Example 5

$$x^4 - 4x^2 \geq 0$$

Example 6

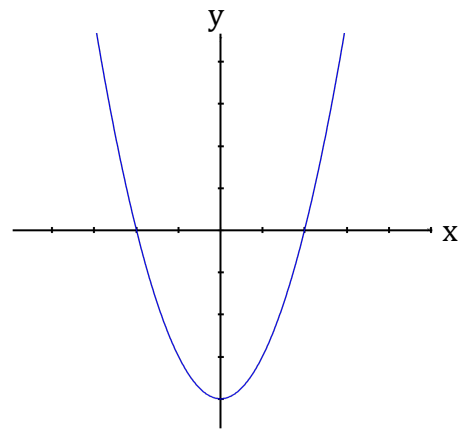
$$\frac{(x-2)(x-7)^2}{x-4} \geq 0$$

- 1) Denominator $\neq 0$ (always open circle)
- 2) Find when numerator = 0
- 3) Plot ALL zeros for numerator and denominator

Example 7

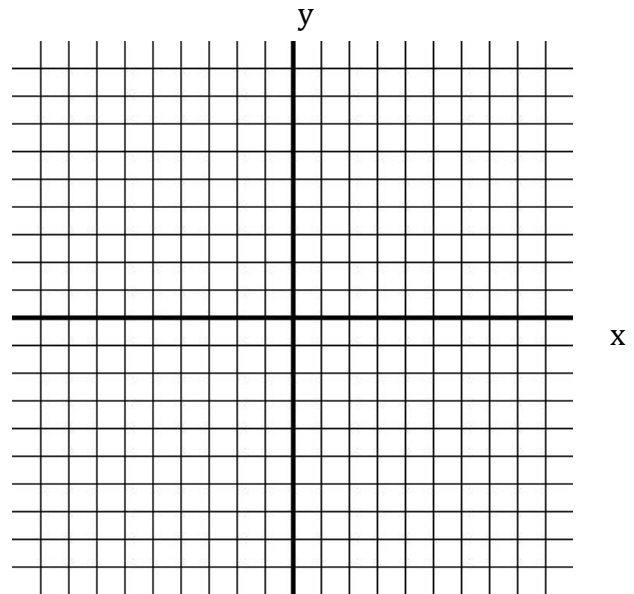
Use the graph to solve the inequality.

$$x^2 - 4 \geq 0$$



Example 8

$$(x - 3)(x + 2)(x - 7) < 0$$



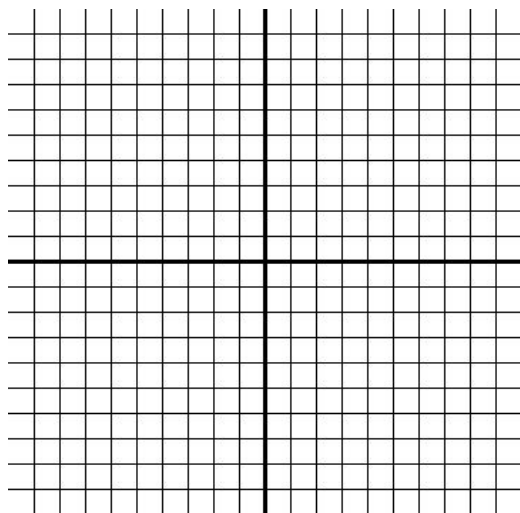
Section 3.2 Summary:

Section 3.3: INEQUALITIES IN TWO VARIABLES

Essential Question:

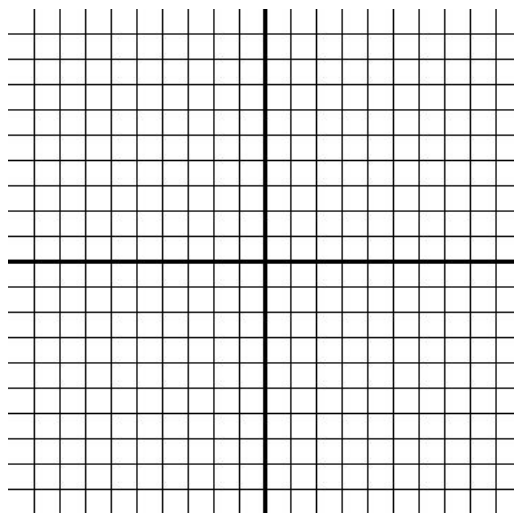
Linear Equation vs. Inequality

Example: $y = 3x + 2$



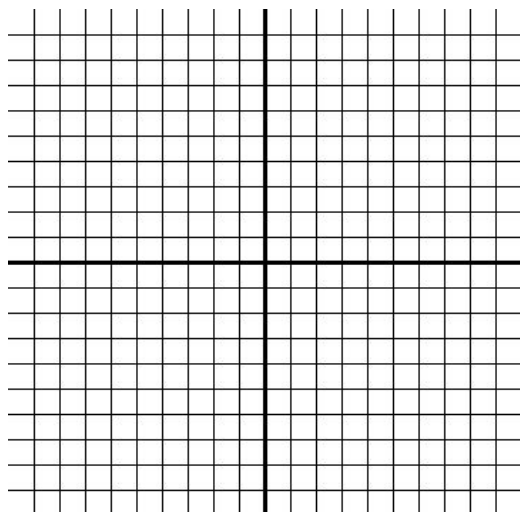
Quadratic Equation vs. Inequality

Example: $y = x^2 - 3$

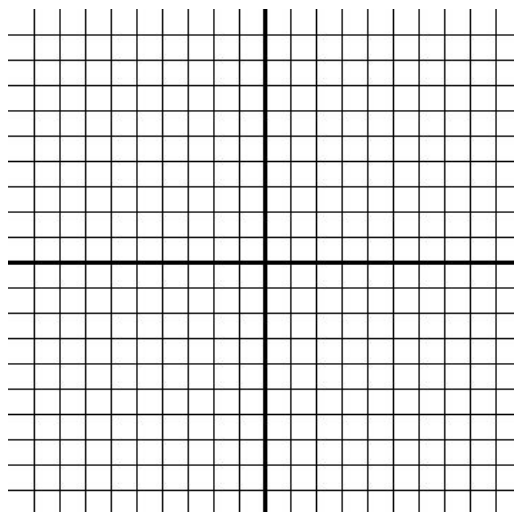


EXAMPLES: Graph each of the following.

1) $y + 3x > 2$

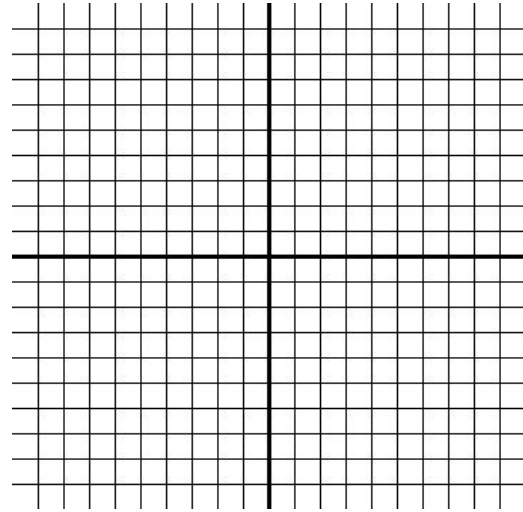
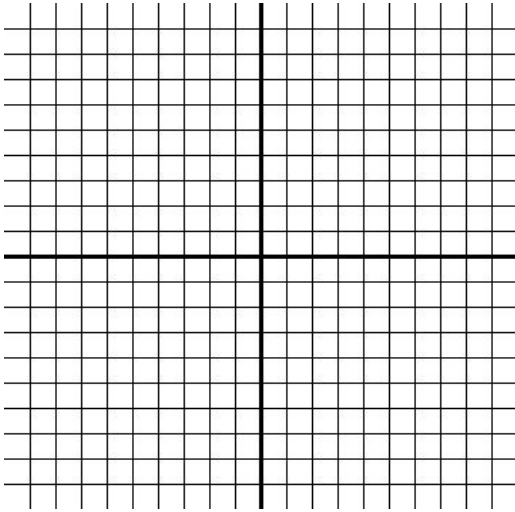


2) $y \leq x^2 + x - 6$



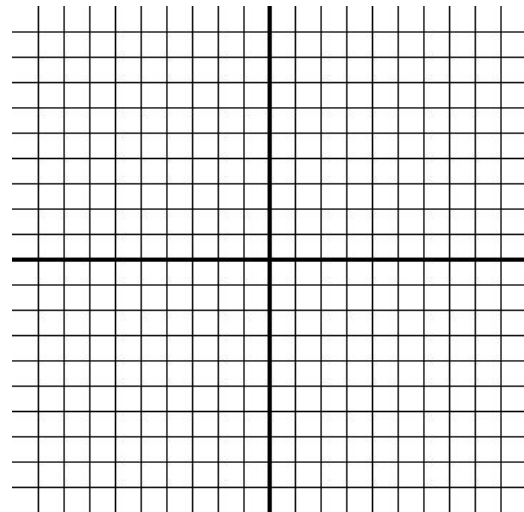
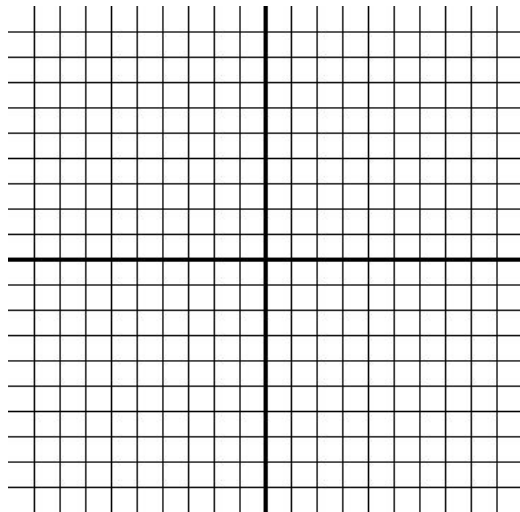
3) $-3 < x \leq 2$

4) $|x + 1| > 5$



5) $y > 0$
 $x - 2y \geq -6$

6) $y > x^2 - 4$
 $3x + y < 4$



Section 3.3 Summary:

Section 3.4: Linear Programming

Essential Question:

* A process of optimizing a linear function to find its _____ or _____ value

* The process uses...

- 1) An objective function
- 2) Constraints (in the form of inequalities)
- 3) Graph that is called the feasible region

Example 1

Find the minimum and maximum value of $C = -x + 3y$ subject to the following constraints:

$$x \geq 2$$

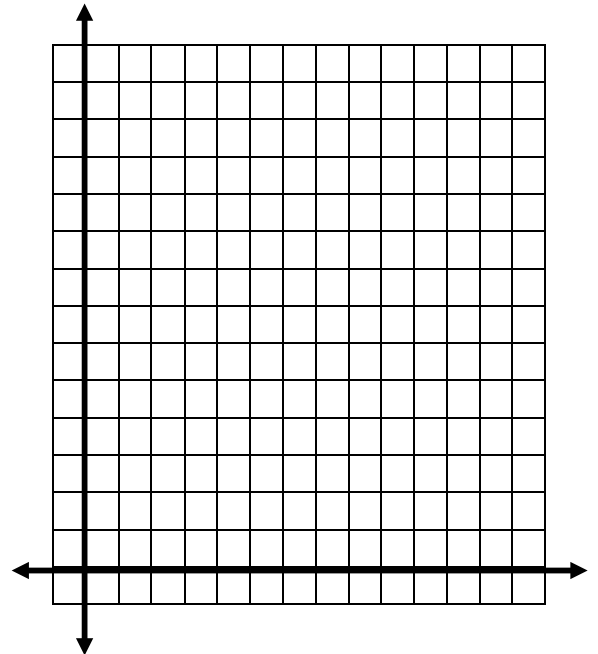
$$x \leq 5$$

$$y \geq 0$$

$$y \leq -2x + 12$$

Vertices

Value of function



Minimum occurs @ _____

Maximum occurs @ _____

CORNER POINT PRINCIPLE

The maximum and minimum values occur at a _____ of the feasible region.

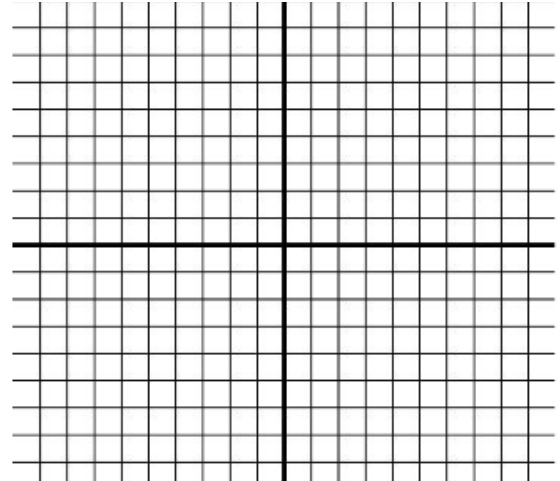
Example 2

Find the min and max value of $C = x + 5y$ subject to the following constraints.

$x \geq 0$

$5 \geq x + y$

$y - 2 \leq 2x$



Example 3

Write the constraints and objective function for the following linear programming problem.

The area of a parking lot is 600 square meters. A car requires 6 square meters and a bus requires 30 square meters. The attendant can only handle 60 vehicles. If a car is charged \$2.50 and a bus \$7.50, how many of each should be accepted to maximize income?

Step #1 Define the variables. Be SPECIFIC!!!

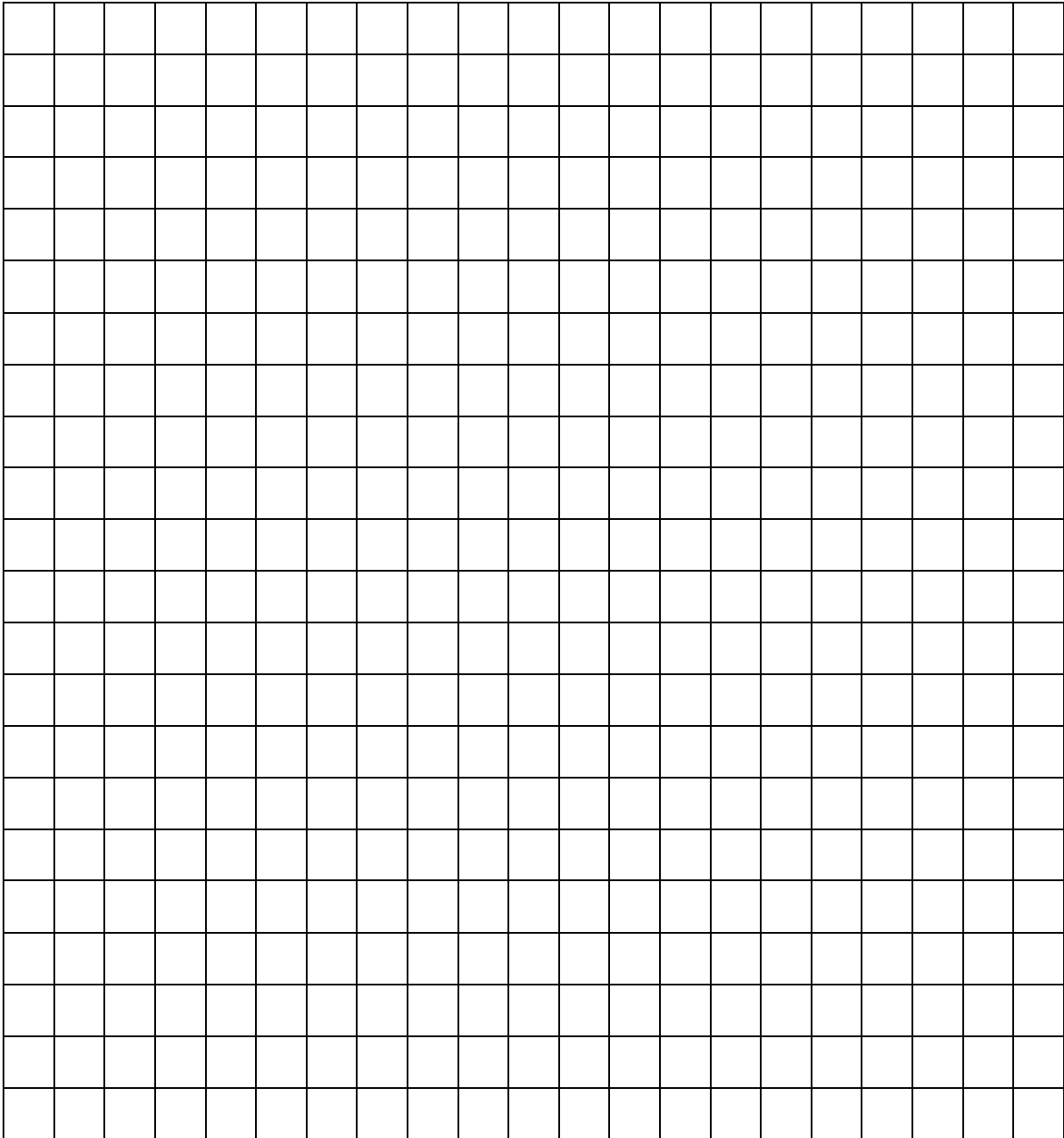
Step #2 Write the Objective function
- usually involves money
- contains information about maximizing or minimizing

Step #3 Write the constraints.
-These are the linear inequalities
- look for limitations!

Step #4 Graph the constraints.

Step #5 Determine vertices and find max or min

Vertices	Value of function	Vertices	Value of function
_____	_____	_____	_____
_____	_____	_____	_____



Section 3.4 Summary: